

- Note : 1) All Questions are compulsory.**
2) Figures to right indicate full marks.

Q.1. Attempt All (Each of 5 Marks)

15

a. Select correct answers from the following :

- The value of $p(3,2) = \underline{\hspace{2cm}}$
a. 6 b. 9 c. 8 d. 5
- Diagrammatic representation of relation R defined on set is called _____.
a. Diagraph b. Multigraph c. Hasse diagram d. None
- In how many ways 2 students can be chosen from class of 20 students?
a. 190 b. 180 c. 240 d. 390
- A graph without loops and parallel edges is called as _____.
a. Simple graph b. Compound graph c. Multigraph d. None
- The set $\{1,2,3\}$ is not equal to
a. $\{2, 1, 3\}$ b. $\{3, 2, 1\}$ c. $\{1, 2, 3, 4\}$ d. $\{1, 2, 3, 1\}$

b) Fill in the Blanks.

(Warshall's, 45, onto, POSET, closed)

- A _____ path has the same first and last vertices.
- A set together with partial order relation is called _____.
- The value of $c(10,8) = \underline{\hspace{2cm}}$
- A function $f: A \rightarrow B$ is said to be _____ function if each element of B is image of some element of A
- _____ Algorithm use to find shortest path.

c) Define the following

- Simple Graph
- Equivalence Relation
- Degree of vertex
- POSET
- Inclusion & Exclusion Principle

Q.2. Attempt any three of the following :

15

- Determine whether the relation R on set A is equivalence Relation $A = \{1, 2, 3\}$
 $R = \{(1,1), (1,2), (2,1), (3,3)\}$
- Find the solution of recurrence relation.
 $a_n = a_{n-1} + 20a_{n-2}$ with $a_0 = 2$ and $a_1 = 7$
- Determine whether the function $F: \mathbb{R} \rightarrow \mathbb{R}$ given by $f(x) = -3x + 4$ is a bijection.
- Explain tower of Hanoi and solve the puzzle.
- Let $A = \{1, 2, 3, 4, 12\}$. Let R be a partial order relation defined on A as a & b if and only if a/b. Draw hasse diagram of partial order relation.
- Define the followings
1. Domain 2. Co-Domain 3. Range

Q.3. Attempt any three of the following :

15

- How may integers between 1 and 600 (both inclusive) are divisible by 3 or 5?
- Show that at a party of 20 people, there are two people who have some no. of friends.
- Let $L = \{a, ab, a^2\}$ & $M = \{b^2, aba\}$ be languages over $A = \{a, b\}$
Find i. LM ii. MM

- d. Define a language L over an alphabet A. Let $A = \{ a, b, c \}$. Find L^* where $L = \{ a, b, c^3 \}$
- e. State & prove Pascal Identity.
- f. How many distinguishable permutation of the letters in the word RADAR are there?

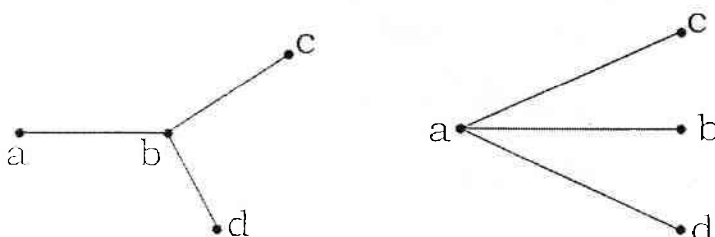
Q.4. Attempt any three of the following :

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- a. Construct a preorder sequence for inorder : 1 2 4 7 3 5 6 8 9
- b. Represent the following expression using binary tree
 - i. $(x + xy) + (x/y)$
 - ii. $x + ((xy + x) / y)$
- c. Draw the graph G corresponding to adjacency matrix

$$\begin{bmatrix} 1 & 1 & 1 & 2 \\ 1 & 0 & 0 & 0 \\ 1 & 0 & 0 & 2 \\ 2 & 0 & 2 & 2 \end{bmatrix}$$

- d. Explain operation on graph. also find Union and Intersection of the given graph.



- e. Draw all possible simple graph with 3 vertices.
- f. Explain operation on binary search tree.

Q.5. Attempt any three of the following:

15

- a. Draw the Hasse diagram for divisibility on the set $\{ 1,2,3,5,7,11,13 \}$
- b. What is coefficient of $x^{16}y^{14}$ in the expression $(x+y)^{30}$
- c. What is complete graph. Draw a regular graph with 5 vertices.
- d. How many solution does the equation $x+y+z=11$
- e. Find In-degree & Out-degree of each vertex in the graph given below.

